

## Lecture 11. MEASURING RECTIFIERS

### 1.1. Superdiode. Precision half - wave Rectifier

The diode rectifier circuit and its associated voltage transfer characteristic curve are shown on Figure 1(a) and (b).

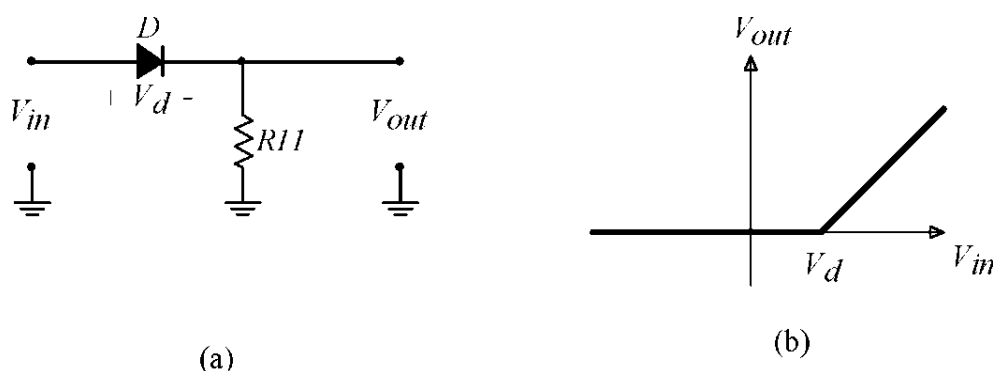


Figure 1. Diode rectifier circuit (a) and voltage transfer curve (b)

The offset voltage  $V_d$  is about 0.7 Volts and this offset value is unacceptable in many practical applications. The operational amplifier and the diode in the circuit of Figure 2 form an ideal diode, a superdiode, and thus they eliminate the offset voltage  $V_d$  from the voltage transfer curve forming an ideal half wave rectifier.

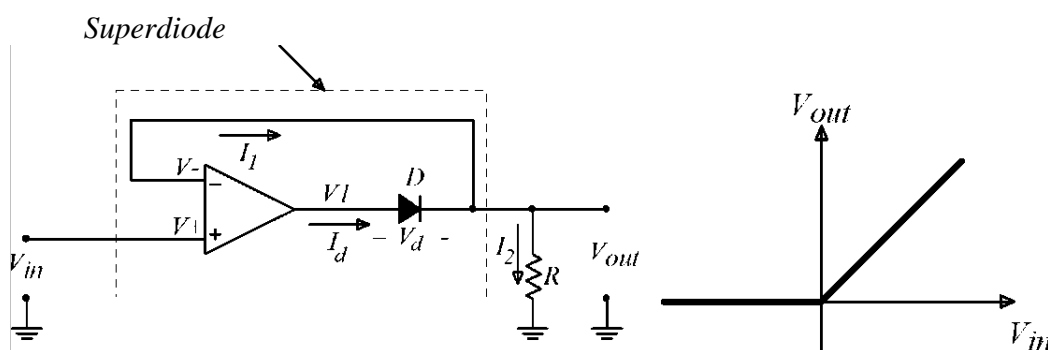


Figure 2. Precision half wave rectifier circuit and its voltage transfer curve.

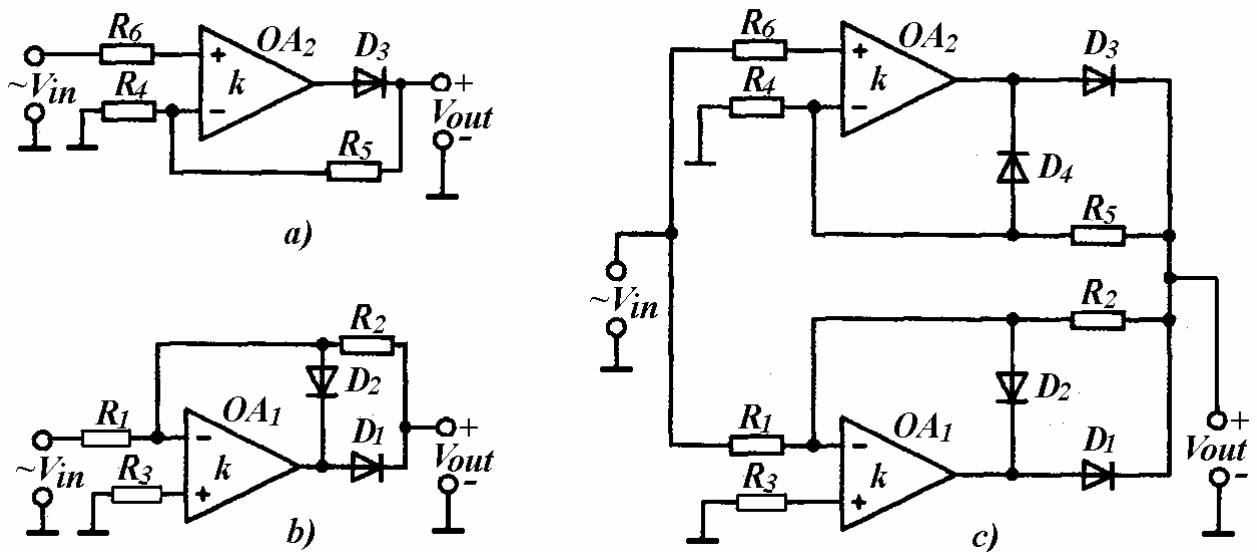
Let's analyze the circuit by considering the two cases of interest:  $V_{in} > 0$  and  $V_{in} < 0$ . For  $V_{in} < 0$  the current  $I_2$  and  $I_d$  will be less than zero (point in a opposite direction to the one indicated). However, negative current can not go through the diode and thus the diode is reverse biased and the feedback loop is broken. Therefore the current  $I_2$  is zero and so the output voltage is also zero,  $V_{out} = 0$ . Since the feedback loop is open the voltage  $V_1$  at the output of the op-amp will saturate at the negative supply voltage.

For  $V_{in} > 0$ ,  $V_{out} = V_{in}$  and the current  $I_2 = I_d$  and the diode is forward biased. The feedback loop is closed through the diode. Note that there is still a voltage drop  $V_d$  across the diode and so the op-amp output voltage  $V_{out}$  is adjusted so that  $V_{out} = V_d + V_{in}$ .

## MEASURING RECTIFIERS (MR)

### AVERAGE RESPONDING MEASURING RECTIFIERS

$$V_{OUT} = \frac{1}{T} \int_0^T |V_{IN}| \cdot dt$$



### Measuring rectifiers

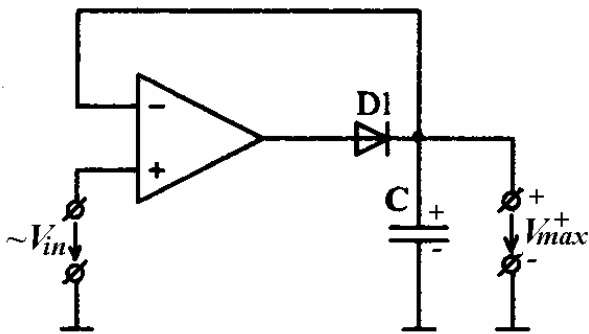
- a) One wave noninverting configuration; b) One wave inverting configuration; c) Two wave rectifier

**Gain & Errors: the same as for Amplifiers**

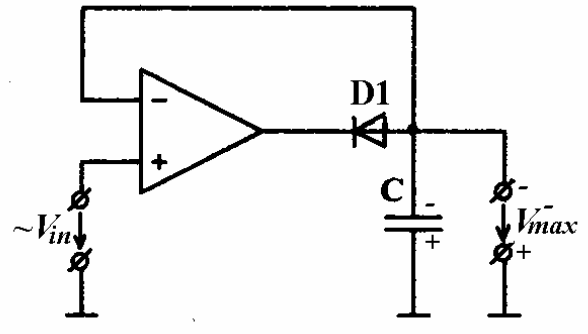
*For c) the both gains must be equal:*

$$R_2 / R_1 = (1 + R_5 / R_4)$$

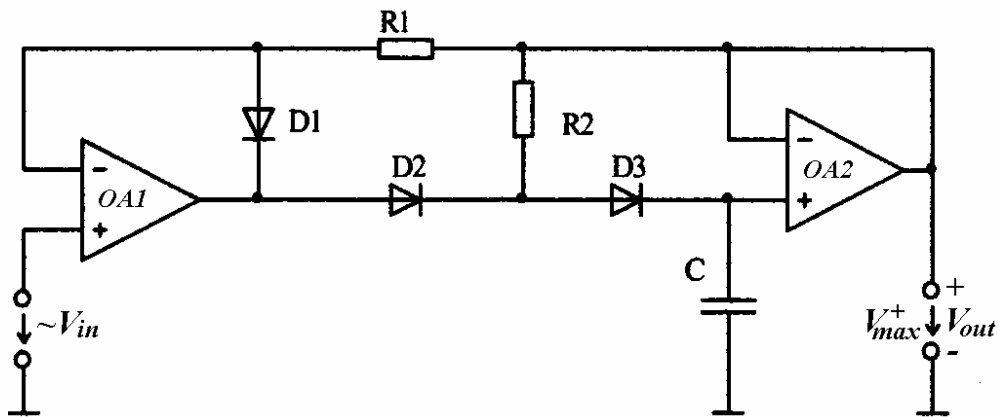
## AMPLITUDE RESPONDING MEASURING RECTIFIERS



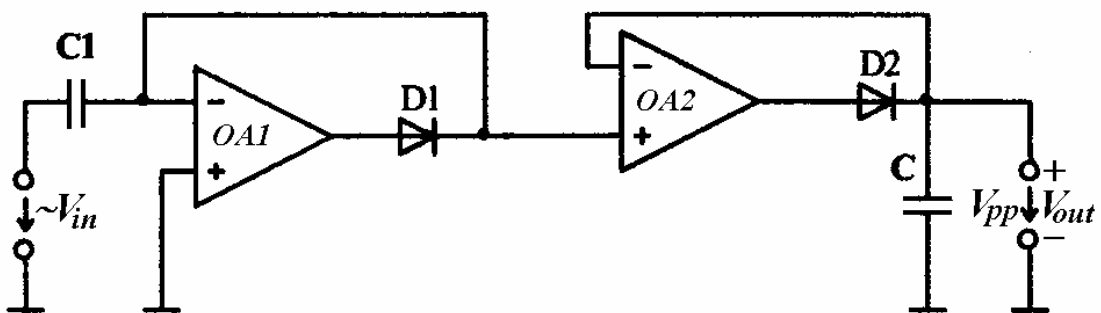
a)



b)



c)



d)

# Gain & Errors: the same as for Amplifiers

## 1.2. Practically circuit diagrams of Precision Rectifiers

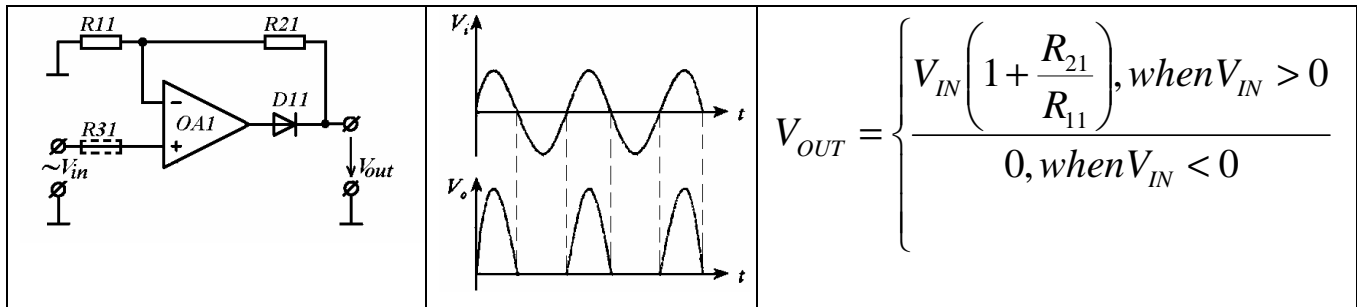


Figure 3. Precision half wave non-inverting rectifier circuit and its time-diagram and transfer function.

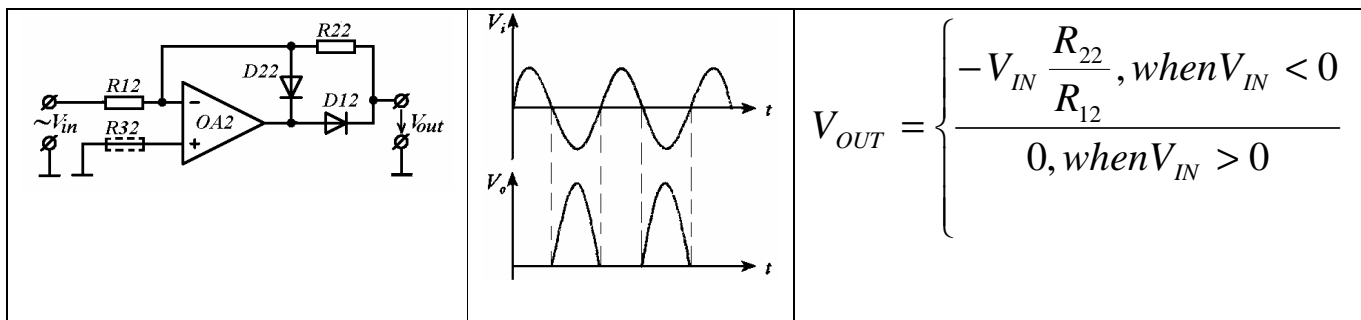


Figure 4. Precision half wave inverting rectifier circuit and its time-diagram and transfer function.

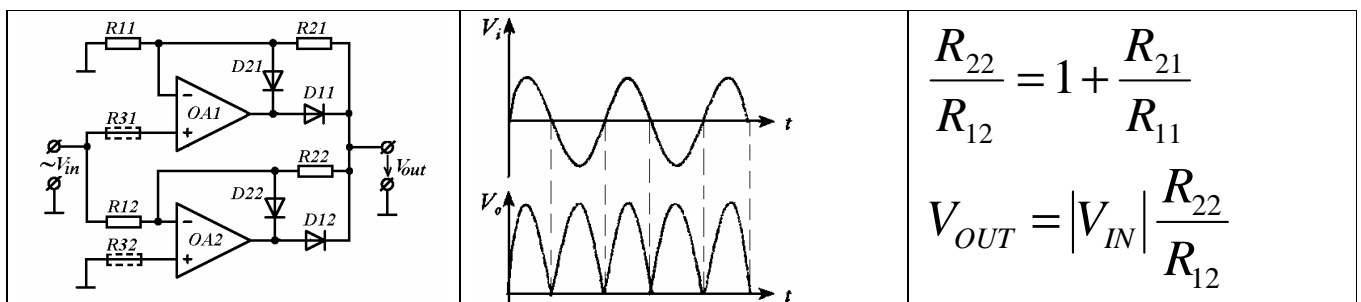


Figure 5. Precision full-wave inverting rectifier circuit and its time-diagram and transfer function.

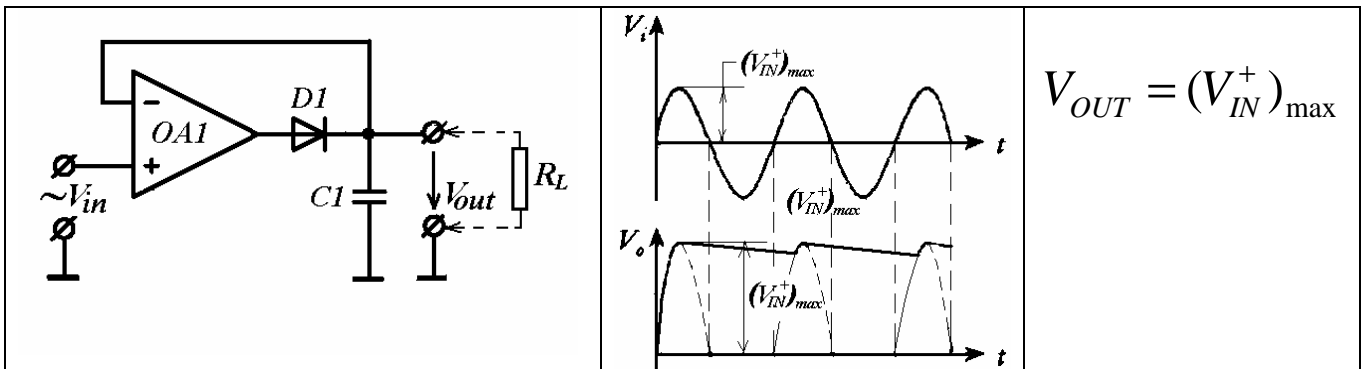


Figure 6. Precision non-inverting amplitude rectifier circuit and its time-diagram and transfer function.

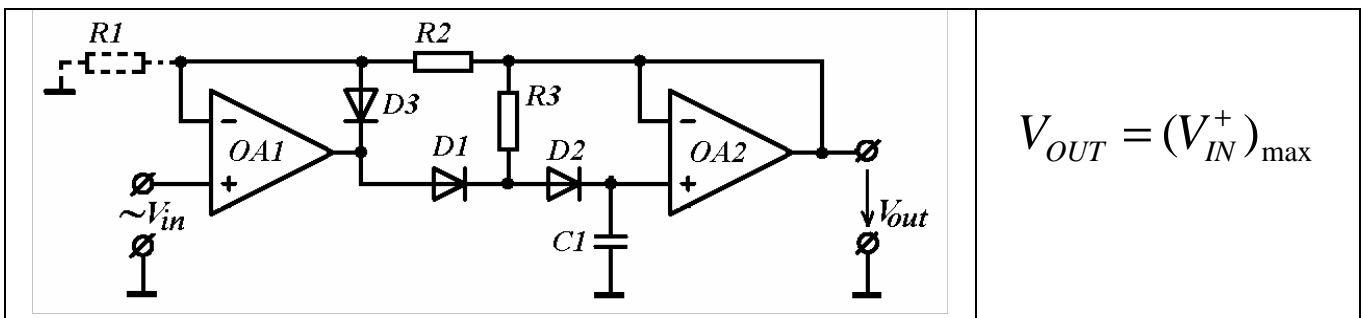


Figure 7. Investigated precision non-inverting amplitude rectifier circuit and its transfer function.

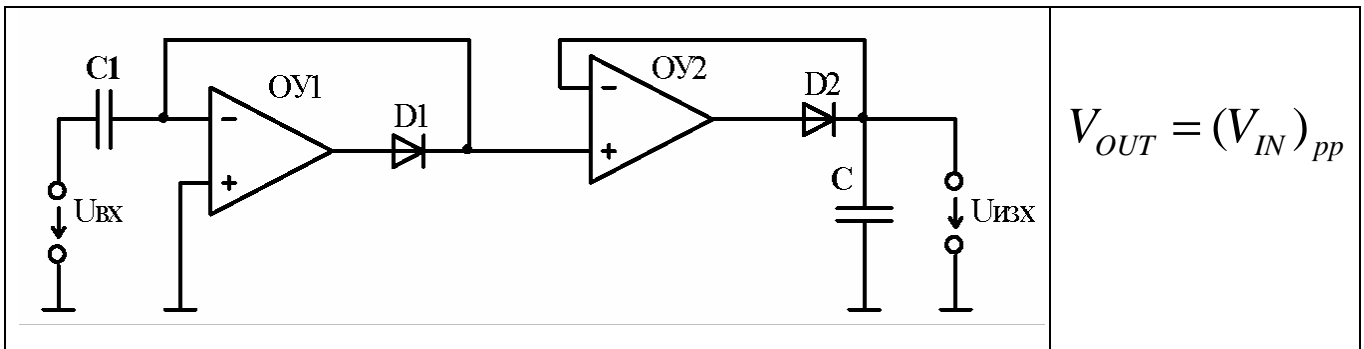


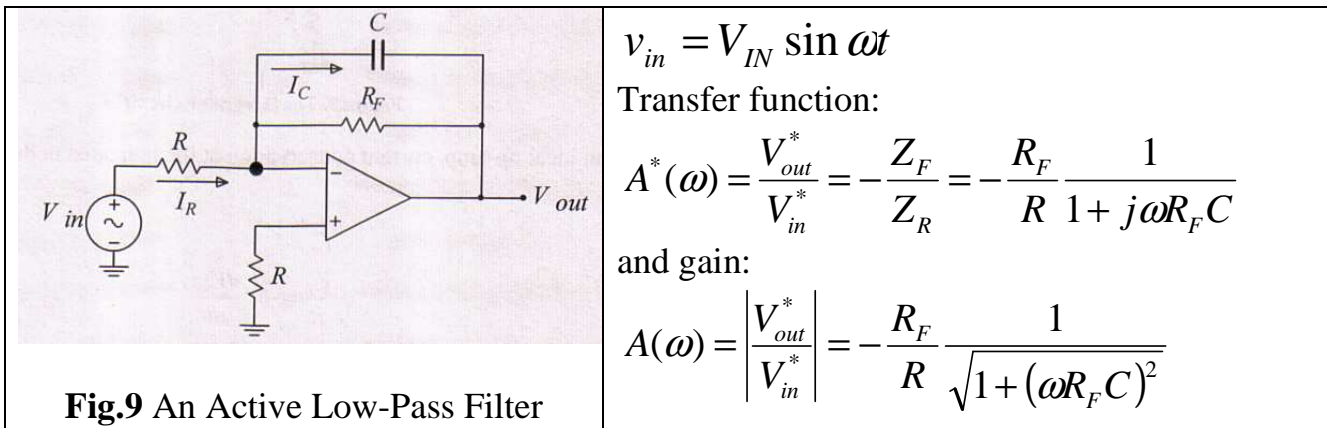
Figure 8. Precision pic-to-pic rectifier circuit and its transfer function.

### 1.3. Active Low Pass Filters

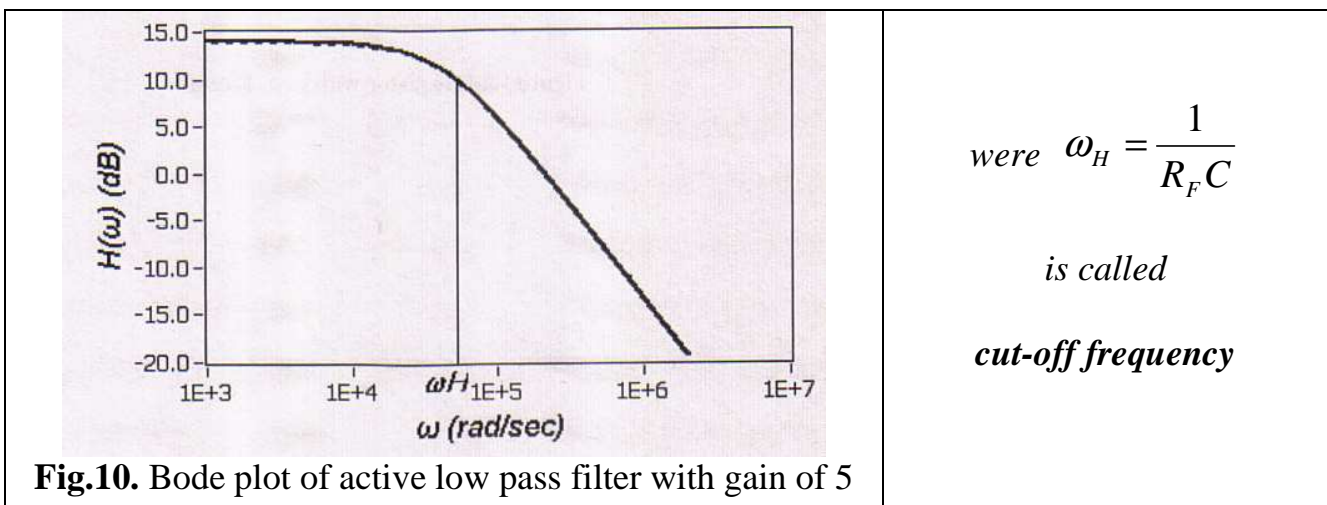
#### 1.3.1. First - Order Active Low Pass Filter.

The Active Low Pass Filter using an electronic integrator is shown in Fig.9, where the input voltage is:  $v_{in} = V_A \sin \omega t$  and the feedback impedance  $Z_F$  is:

$$Z_F = \frac{R_F}{1 + j\omega R_F C}$$



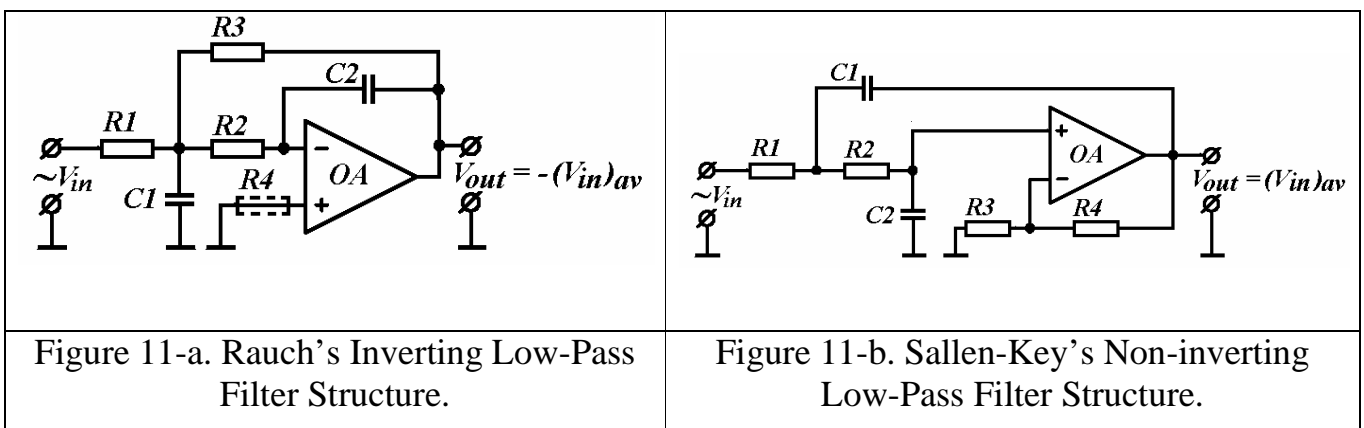
As you can see, the diagram in Fig.10 shows the logarithmic plot of gain  $A(\omega)$  versus frequency.



At frequencies much less than  $\omega_H$  ( $\omega \ll \omega_H$ ) the voltage gain becomes equal to  $R_F/R$ , while at frequencies higher than  $\omega_H$  ( $\omega \gg \omega_H$ ) the voltage gain decreases at a rate of 20dB per decade.

### 1.3.2. Second - Order Active Low Pass Filter Circuits.

The Second Order Active Low Pass Filter using an electronic integrator is shown in Fig.11(a) and (b):



### 1.3.3. Average responding full wave rectifier.

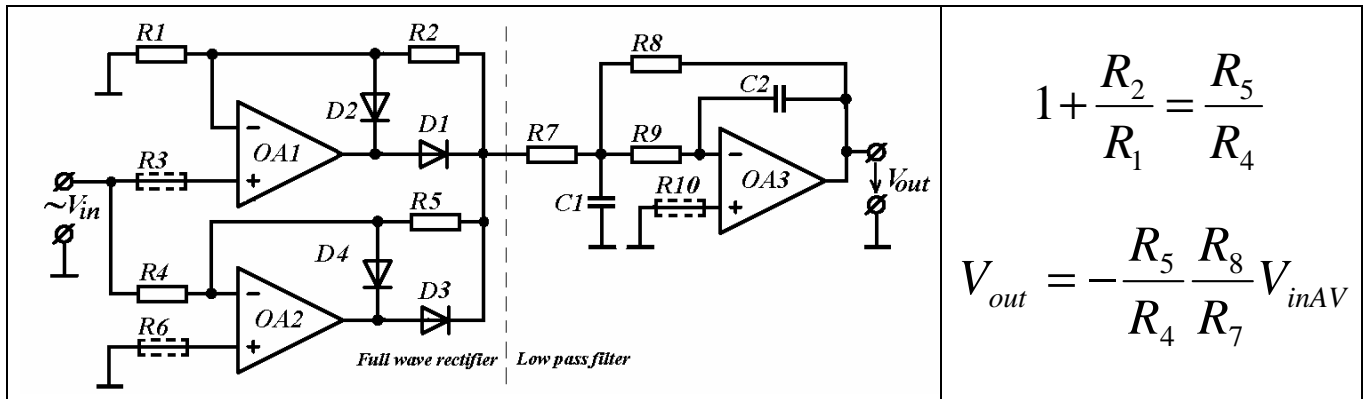


Figure 12. Average responding full wave rectifier